

 $\label{eq:2} \frac{1}{2}\left(\frac{1}{2}\right)^{2} \left(\frac{1}{2}\right)^{2} \left(\frac{1}{2}\right)^{2}$

 $\frac{1}{2} \sum_{i=1}^{n} \frac{1}{2} \sum_{j=1}^{n} \frac{1}{2} \sum_{j=1}^{n$

 $\ddot{\cdot}$

$IAF-88-328$

,

•

.•

LAUNCH WINDOW FOR THE BRAZILIAN DATA COLLECTING SATELLITE

Valdemir Carrara Instituto de Pesquisas Espaciais-INPE/MCT C.P. 515 - São José dos Campos -- SP Brazil ~ CEP 12201

39th CONGRESS OF THE IrJTERNATIONAl ASTAONAUTICAL FEDEAATION

October 8-15, 1988/Bangalore, India

For permission to copy or republish, contact the International Astronautical Federation, 3-5, Rue Mario-Nikis, 75015 Paris, France

LAUNCH WINDOW FOR THE BRAZILIAN DATA COLLECTING SATELLITE

Valdemir Carrara * Instituto de Pesquisas Espaciais-INPE/MCT C.P. 515 - São José dos Campos - SP Brazil \neq CEP 12201

The launch window studies establish a relatively significant phase in mission analysis of a given space program. The
final result of such analysis is the time interval of the day during some particular
days of the year in which the spacecraft
launch could be achieved. The main task of the study is to identify and to formulate mathematically the several constraints
concerning the launch that restrain or modify the launch window. This work presents an overview of the launch window studies made for the Data Collecting
Satellite (DCS) of the Brazilian Space Program (MECB).

the actional

INTRODUCTION

Once the constraints have been
identified the next step is to combine
them according to the mission failure criteria, classifying the restrictions in essentials and desirables. The constraints that cause loss of mission if not obeied, are essentials. Among such restrictions,
it is very common to find limitation to the spacecraft attitude relative to sun just after orbit injection (when normally the satellite attitude is different from the nominal one), due to thermal or power constraints. Eclipse duration is also an of launch window
the fact that the important source
definition despite eclipse duration reduction of is \overline{a} nonessential restriction. In geosynchronous mission it is frequent to
utilize a constraint that limits the
launch days to the epoch of the year when the sun is far from the equinoxes (near March and September, 21st) to avoid that
the spacecraft pass through the Earth
shadow just after injection in its nominal
orbit. In general, desirable constraints are only considered if there are no
essential constraints or if the latter were already carried, out.

The Data Collecting Satellite will be launched in the middle of 1989, with the aim of receiving data coming from remote meteorological platforms (PCDs). It has a prism shape, with an octogonal base. With
exception of the thermal radiator on the lower base, all the spacecraft faces are
covered with solar cell arrays. The
satellite orbit is near circular at 750 km
altitude and 25⁰ inclination. It will be launched from Alcantara Launch Base (CLA), north of Brazil, whith launch azimuth
equal to 65⁰, approximately. Launch $650,$ approximately. Launch greater than 90° (with orbit azimuths injection at descending node) are not possible due to CLA location. At the Copyright Release A

* Mech. Eng. - Guidance and Control Dept.

separation point, the spacecraft will be 180 rpm along rotating with its symmetrical axis. The spin axis direction is controlled by means of a magnetic coil actuator.

The main constraint to the launch window for the Brazilian spacecraft comes from thermal impositions, due to the lower base thermal radiator. In fact, so as to
guarantee the correct temperature
operation of the on-board equipment, the
lower base should not be illuminated by sun. As can be seen in Figure 1, the sun
must be kept on the upper spacecraft's
hemisphere during the satellite lifetime of 6 months.

Fig. 1. DCS attitude relative to sun.

Unfortunately, the attitude control
can not be utilized to adjust the the satellite attitude relative to sun, if the sun initially faces the thermal radiator side. The attitude manouvers are very long
(1 to 4 days) because of the weak
interaction of the spacecraft coil with the Earth's magnetic field and so the
temperature could be out of range before the satellite is in a safe attitude. The
launch window must then guarantee that the spacecraft be injected in an attitude such that the radiator panel does not face the sun during the 6 months lifetime, as shown in Figure 2.

ATTITUDE PROPAGATION

attitude does not The spacecraft remain fixed along the time, as several
perturbations accumulate their effects and deviate the inertial direction of the spin axis. Due to the symmetrical geometry of the satellite, perturbations like the atmospheric torque and solar radiation pressure have less influence on the
attitude changes. Magnetic torques become then the major perturbations as they do! not depend on the satellite geometry. This

assertion is totally confirmed through the
attitude analysis of the TELSTAR satellite
(Yu¹), whose geometry and mass is similar
to that of DCS.

. Fig. 2. Launch attitude.

The angle between the spin axis and
the sun will alter due to both the
perturbing torques and the motion of the
sun relative to Earth. To define its
orientation, two angles are adopted: the
spin axis think acception of and spin axis \cdot right ascension α and
declination δ , as seen in Figure 3, in
inertial coordinates (X and Y lie in
equatorial plane, X pointing towards the $\prod_{i=1}^{n}$ i n'_i vernal equinox).

Fig. 3. Spacecraft's right ascension and declination angles.

As the rotation axis is a principal moment of inertia axis, one can neglect velocities and the transverse angular then

 $\psi = \omega$ (cos 6 cos a i + cos 6 sin a j +

 $+ \sin \delta \hat{k}$ (1)

where ω is the spacecraft angular rate and f , j and k denote the inertial x , y and z unit vectors, respectively. The following

torques were considered: magnetic torque
caused by the residual spacecraft magnetic
moment interaction with the Earth's
magnetic field and Eddy current torque due to the rotation of the satellite in the presence of the geomagnetic field. The gravity gradient torque has shown to be negligible compared to the preceeding torques.

The spacecraft attitude was
numerically integrated for 6 months by residual torque Moro² using the formulation extracted from Wertz³

$$
\vec{N}_r = m \vec{\omega} \times \vec{B} \qquad (2)
$$

where m is the spacecraft's residual
magnetic moment, ω is the unit vector
along the spin axis and β the Earth's magnetic field. The residual moment arises
from uncompensated electric currents on
the on-board equipments. It is quite difficult to calculate the moment a priori because of the obvious complexity of the equipment distribution over the spacecraft structure. In order to guarantee that the moment remains residual magnetic moment remains
restricted to certain limits, the magnetic field produced by the satellite must be measured during integration and tests. To assure the measured values lie inside the design limits, it is a common procedure to fix some permanent magnets on the
satellite body. For the DCS, the
established values of the residual moment the in the spin axis direction are:

$$
-1.5 \text{ Am}^2 < m < -0.5 \text{ Am}^2
$$
 (3)

where the minus sign indicate that the
moment is opposite to the angular angular moment is opposite velocity.

Eddy current torque formulation is given by Smith

$$
\vec{N}_{\Gamma} = p \vec{B} \times (\vec{B} \times \vec{\omega}) \tag{4}
$$

where p is a constant that depends on the spacecraft geometry. Note that the
residual magnetic torque is always
perpendicular to the satellite angular
momentum and then it causes a precessional motion on the spin axis. On the other
hand, Eddy current torque causes a أتعا rotational energy dissipation, decreasing the spacecraft angular rate. For the Data Collecting Satellite, the parameter p
assumes the value (Kuga⁵):

$p = 1916 \text{ m}^4/\text{Ohm}$

The attitude integration results are
shown in Figures 4 and 5: the right ascension and declination motion of the spin axis, and the angular rate decay respectively. A residual magnetic moment
equal to -0.6 Am²was used. The effects of the magnetic torque (spin axis, precession
in right ascension) and the Eddy current
torque (exponential spin decay) are clearly identified in the figures.

LAUNCH WINDOW FORMULATION

normally windows are Launch calculated by verifying if the constraints and for several days of the year. Such a process presents as advantage a relatively easy implementation of new restrictions to the launch time that often appear during the satellite development design. As a disadvantage, one has a reduced precision window margins or a great on the consumption of computational effort, due to necessary verification of all
constraints to evaluate a single launch
window point. To avoid this disadvantage,
the solution of the problem was guided to
an analytical annoach by fitting an analytical approach, by fitting
simplified functions to the attitude propagated values (Figures 4 and 5), that define the spacecraft state:

> $\omega = \omega_0 e^{-bt}$ (5)

where ω_0 is the initial rotation rate of
180 rpm and b is a constant adjusted by

fitting the function to the rotation rate decay

$$
b = 0.00716 / day.
$$

The spin axis right ascension can be given bу

> $\alpha = \alpha_0 + m K (e^{bt} - 1)$ (6)

where α is the spin axis right ascension
at the orbit injection and K is a
proportionality constant:

 $K = -58.65^{\circ}/Am^{2}$

 \circ f axis motion the spin **The** declination was neglected
declination-value adopted was neglected and the declination to equal 27°. This procedure was necessary to
obtain an analytical solution to the
problem. However, the error introduced
from this simplification is small, as later studies based on numerical solutions
have shown (INPE⁶).

The sun-spin angle is then given by:

$$
\cos \eta = \cos \delta \cos \delta_{\rm s} \cos (\alpha - \alpha_{\rm s}) + \dots
$$

+
$$
\sin \delta \sin \delta_{\rm s}
$$
 (7)

where α_S and δ_S are the sun right
ascension and declination, respectively,
at the date. To calculate the sun
position, an analytical Earth orbit, The thermal
angle n from propagation was used. constraint prevents the exceeding 90 degrees and, therefore,

$$
\cos(\alpha - \alpha_c) \rightarrow -\tan\delta \tan\delta_c.
$$
 (8)

By substituting the expression for the
spin axis right ascension as function of time, it has:

$$
\alpha_{\text{omin}} < \alpha < \alpha_{\text{omax}} \qquad . \qquad . \qquad \text{(9)}
$$

where

$$
\alpha_{\text{omin}} = \alpha_{\text{S}} - m \times (e^{\mu L} - 1) + \cdots
$$

= cos⁻¹ (tan δ tan δ) (10.a)

and

 $\alpha_{\text{omax}} = \alpha_{\text{s}} - m K \text{ (ebt - 1) +}$

$$
cos^{-1}(\pi tan \delta tan \delta).
$$
 (10.b)

ascension and sun right the As declination are also functions of the time, the condiction (9) must be satisfied during the whole satellite lifetime, and then

 $\overline{\alpha_{\text{omin}}}$ = max(α_{omin}) for 0<t<180 days

 $\overline{\mathfrak{a}_{\mathfrak{o}}}_{\mathfrak{max}} = \min(\mathfrak{a}_{\mathfrak{o}}_{\mathfrak{max}})$, for 0<t<180 days.

The equations for α_{omin} and α_{onax} are
nonlinear and so a numerical procedure was developed to obtain the minimum and intervals of one day. Nevertheless, $\overline{\alpha_0}$ min

AINA COPY SHEET!

 $\mathbf{F} \sim \mathbf{P}^{\mathbf{A}}$. If $\mathbf{F} \in \mathbb{R}$, \rightarrow

This shows to be reduced to 22% of last p

and $\overline{\mathfrak{a}}_{o,\max}$ are still functions of the epoch year, as they depend on the launch date. year.

The spin axis right ascension is related to the orbital right ascension of the ascending node through the relationship (Figure 6)

 $\tan \Omega_1 = \frac{-\sin \alpha_0 i \sin \upsilon - \cos \alpha_0 i}{-\cos \alpha_0 i \sin \upsilon + \sin \alpha_0 i} \cos i \cos \upsilon$ (11)

function of the orbit inclination i, as a and the angle from the asceding node to
the orbit injection point $v (v = 9.2^{\circ})$. It was assumed that the spin axis direction
is perpendicular to the radius vector at
the injection point and tangent to the satellite trajectory.

Fig. 6. Angles relating the inertial to terrestrial coordinates.

The $\alpha_{0,i}$ values will define the two limits
to the right ascension of the ascending node, in the form:

> (12) Ω_{\min} < Ω < Ω_{\max}

with $\frac{a_{\min}}{a_{\min}}$ and $\frac{a_{\max}}{a_{\max}}$ obtained by substituing

Consider now the injection point
longitude λ_{ip} ($\lambda_{ip} = 326^\circ$), the Greenwich
sidereal time θ_{g0} at 0:00 hs GMT of the
launch day and the Earth rotation rate θ
($\theta = 360.986^\circ/\text{day}$). From Figure 6, one gets

 a_i +tan⁻¹ (cos i tan v) - λ_{ip} - θ_{g0} (13) $t_i =$

which furnishes the time interval of the haunch day when the spacecraft could be
injected in orbit in a way to satisfy the
thermal constraint. The launch windows are
shown in Figures 7 and 8, as functions of snown in rigures ℓ and σ , as runctions of
the launch date, considering the residual
magnetic moment values of -0.5 Am² and
-1.5 Am², respectively. The windows
present a small oscilation during the
year, basicall for both residual moment values and it
lasts at least 2 hours around 12:00 hs
GMT. The window corresponding to the -1.5

Fig. 8. Launch window for $m = -1.5$ Am².

CONCLUSIONS

The results showed that the best
value for the residual magnetic moment
should be -1.5 Am² approximately. For this value, the resulting launch window is of almost 10 hours around 9:00 GMT, whatever almost 10 hours around 9:00 GMT, whatever
be the launch date. The equatorial plane
component of the spacecraft's angular
velocity precesses by an angle of 180^o
during the 6 months lifetime.
Nevertheless, whichever be the

This shear to haveduce the 77% of its placent give